Future of the search for composite Higgs models and related exotic particles at colliders

Patrick Fox

禁 Fermilab

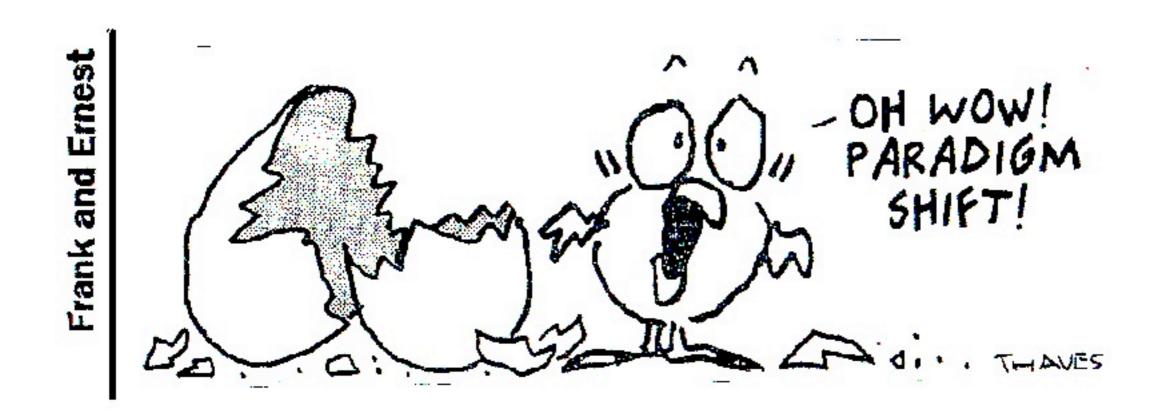
Future of the search for not supersymmetry at colliders

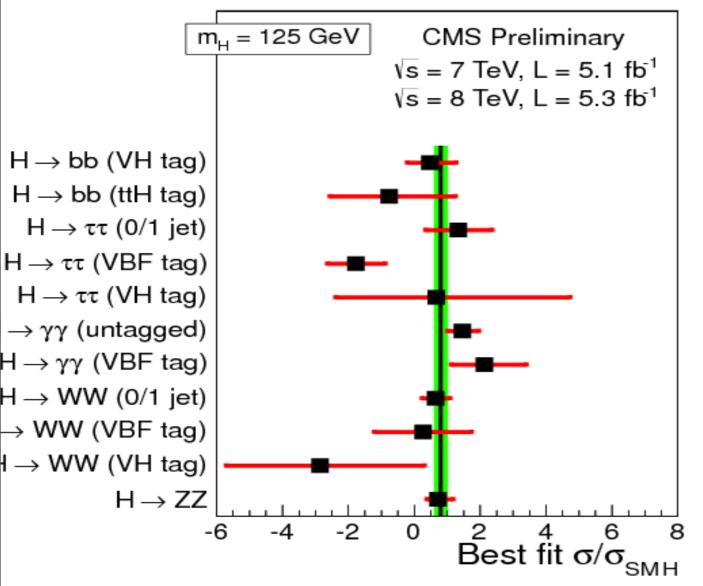
Patrick Fox

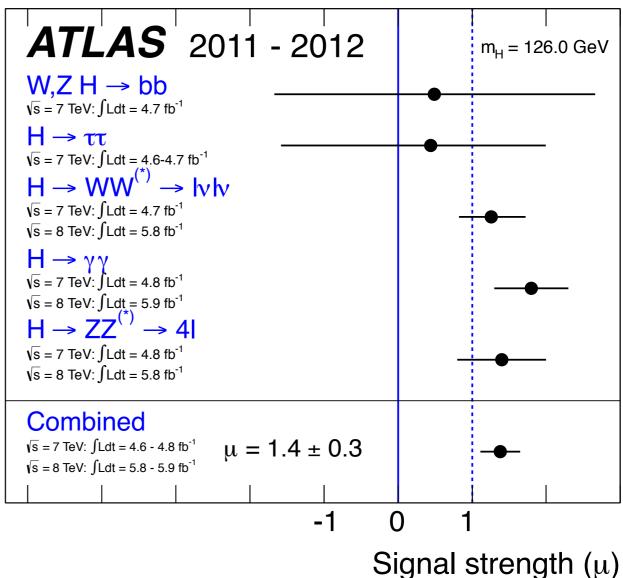
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July 4th....

July 4th.....



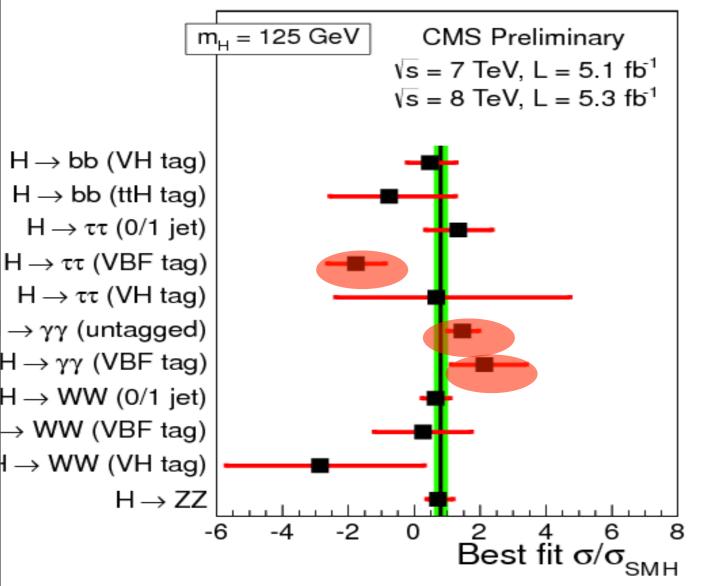


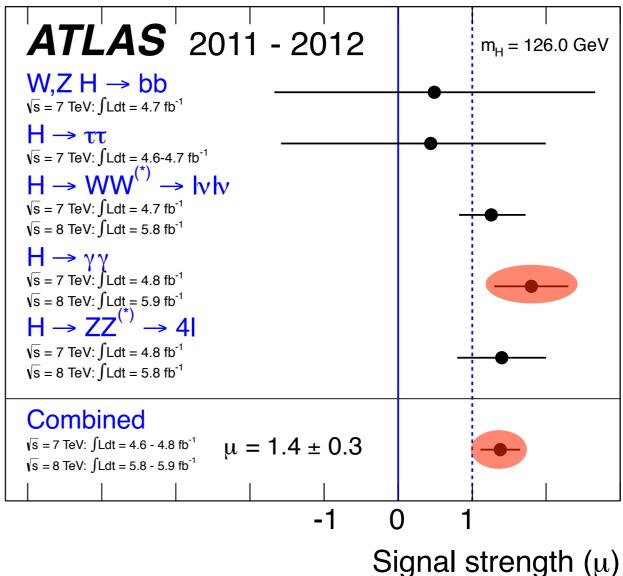


SM Higgs?
SM-like SUSY Higgs?
Too heavy for SUSY?

Leptophobic/Fermiophobic? Exotic BR's (e.g. DM)? Total width?

What keeps the Higgs light?



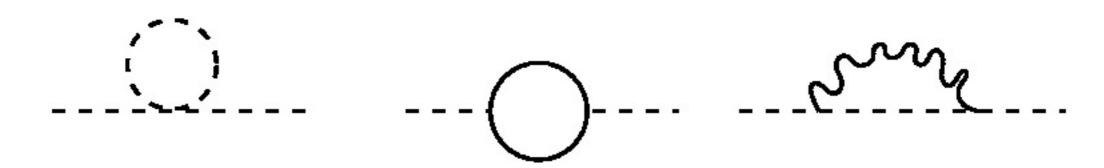


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What keeps the Higgs light?

Quadratic divergences in the Higgs sector



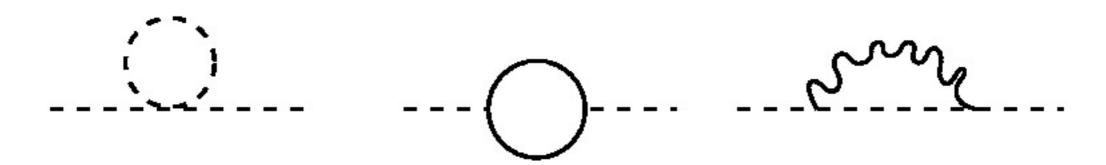
SUSY introduces superpartners to cutoff divergences, must be around the weak scale

$$\delta\lambda \to \Delta m_h^2 = \frac{3y_t^2}{4\pi^2} m_t^2 \log\left(\frac{m_{\tilde{t}}^2}{m_t^2}\right)$$

$$\Delta m_H^2 = -\frac{3y_t^2}{4\pi^2} m_{\tilde{t}}^2 \log \frac{\Lambda}{m_{\tilde{t}}}$$

SUSY little hierarchy problem

Quadratic divergences in the Higgs sector



SUSY introduces superpartners to cutoff divergences, must be around the weak scale

$$\begin{split} \delta\lambda &\to \Delta m_h^2 = \frac{3y_t^2}{4\pi^2} m_t^2 \log \left(\frac{m_{\tilde{t}}^2}{m_t^2}\right) \\ \Delta m_H^2 &= -\frac{3y_t^2}{4\pi^2} m_{\tilde{t}}^2 \log \frac{\Lambda}{m_{\tilde{t}}} \end{split}$$

SUSY little hierarchy problem

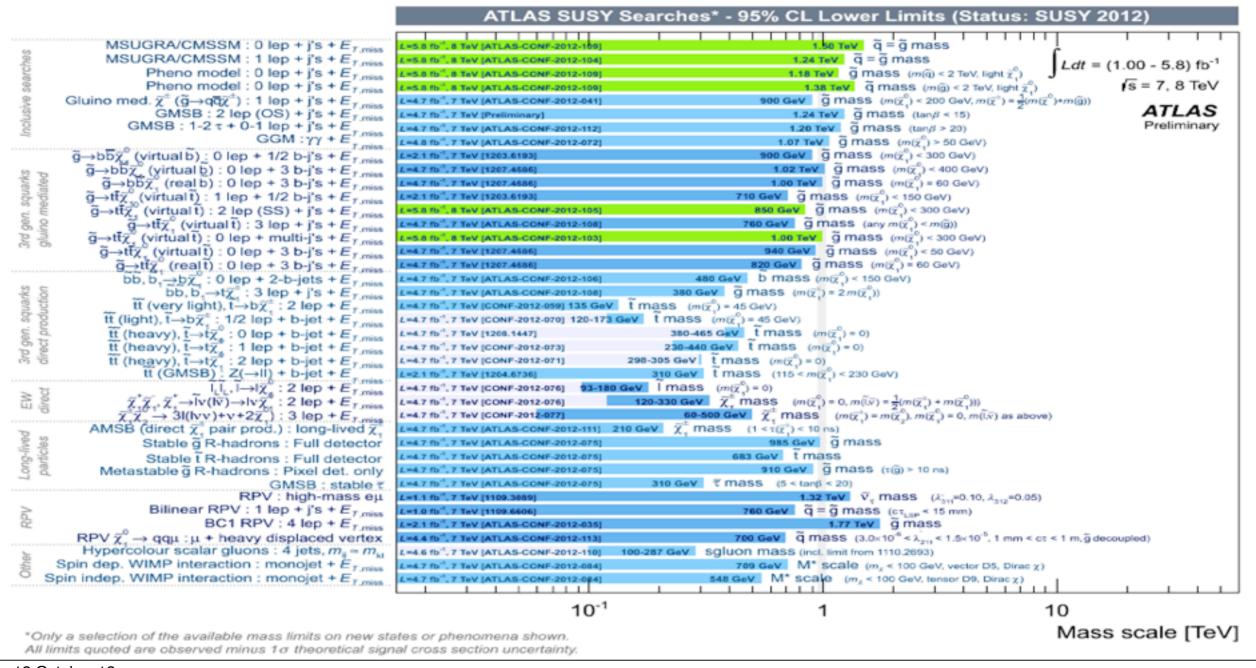


Friday, 12 October 12

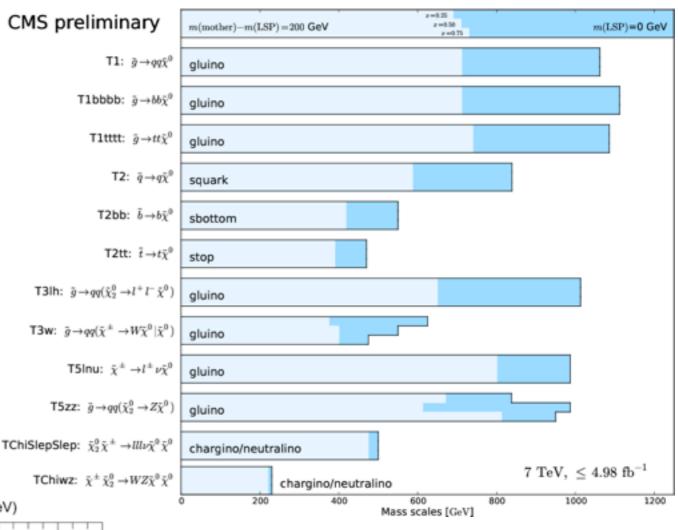
•We have a "Higgs-like" boson at ~125-126 GeV

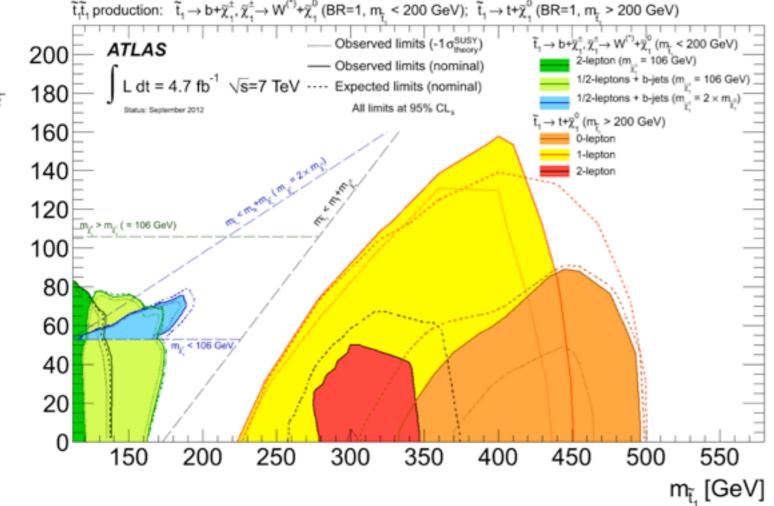
- •We have a "Higgs-like" boson at ~125-126 GeV
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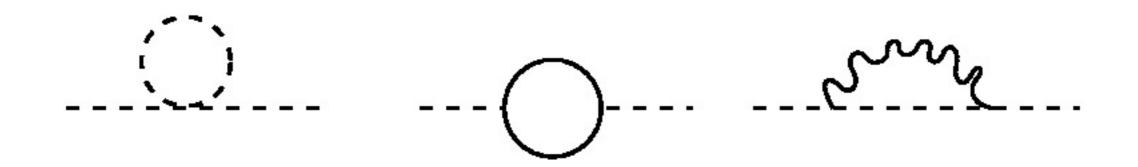


Stop searches are key
Not your advisor's MSSM?
eg NMSSM, MRSSM,
Stealth SUSY, RPV,
(X)MSSM...





Quadratic divergences in the Higgs sector



If the Higgs is composite these loops are cutoff at the compositeness scale.

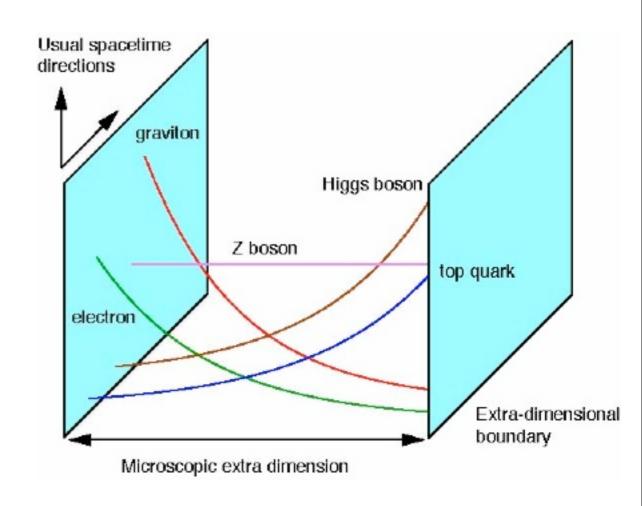
[Georgi, Kaplan]



New strong dynamics!
Higgs is composite, a PNGB
New states



- Technicolor
- Top colour
- Composite Higgs
- •Randall Sundrum
- Little Higgs





Leads to corrections to Higgs properties

$$\mathcal{L} = \frac{1}{2} (\partial_{\mu} h)^{2} - V(h) + \frac{v^{2}}{4} \operatorname{Tr} \left[(D_{\mu} \Sigma)^{\dagger} D^{\mu} \Sigma \right] \left(1 + 2 a \frac{h}{v} + b \frac{h^{2}}{v^{2}} + b_{3} \frac{h^{3}}{v^{3}} + \cdots \right)
- \frac{v}{\sqrt{2}} (\bar{u}_{L}^{i} \bar{d}_{L}^{i}) \Sigma \left[1 + c \frac{h}{v} + c_{2} \frac{h^{2}}{v^{2}} + \cdots \right] \left(\begin{array}{c} y_{ij}^{u} u_{R}^{j} \\ y_{ij}^{d} d_{R}^{j} \end{array} \right) + \text{h.c.} + \mathcal{L}^{(4)}, \quad \text{with}$$

$$V(h) = \frac{1}{2} m_{h}^{2} h^{2} + d_{3} \left(\frac{m_{h}^{2}}{2v} \right) h^{3} + d_{4} \left(\frac{m_{h}^{2}}{8v^{2}} \right) h^{4} + \cdots ,
\mathcal{L}^{(4)} = \frac{g_{s}^{2}}{48\pi^{2}} G^{\mu\nu a} G_{\mu\nu}^{a} \left(k_{g} \frac{h}{v} + \frac{1}{2} k_{2g} \frac{h^{2}}{v^{2}} + \cdots \right) + \frac{e^{2}}{32\pi^{2}} F_{\mu\nu} F^{\mu\nu} \left(k_{\gamma} \frac{h}{v} + \cdots \right) ,$$

Parameters	SILH	MCHM5, no light resonances
a	$1 - (c_H - c_r/2) \xi/2$	$\sqrt{1-\xi}$
b	$1 + \left(c_r - 2c_H\right)\xi$	$1-2\xi$
b_3	$(c_r - 2c_H)2\xi/3$	$-\frac{4}{3}\xi\sqrt{1-\xi}$
c	$1 - \left(c_H/2 + c_y\right)\xi$	$\frac{1-2\xi}{\sqrt{1-\xi}}$
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d_4	$1 + (6c_6 - 25c_H/3 - 11c_r/6)\xi$	$\frac{1 - 28\xi(1 - \xi)/3}{1 - \xi}$
$k_g = k_{2g}$	$3c_g(y_t^2/g_{ ho}^2)\xi$	0
k_{γ}	$2c_{\gamma}(g^2/g_{\rho}^2)\xi$	0

[Gillioz et al, 1206.7120]

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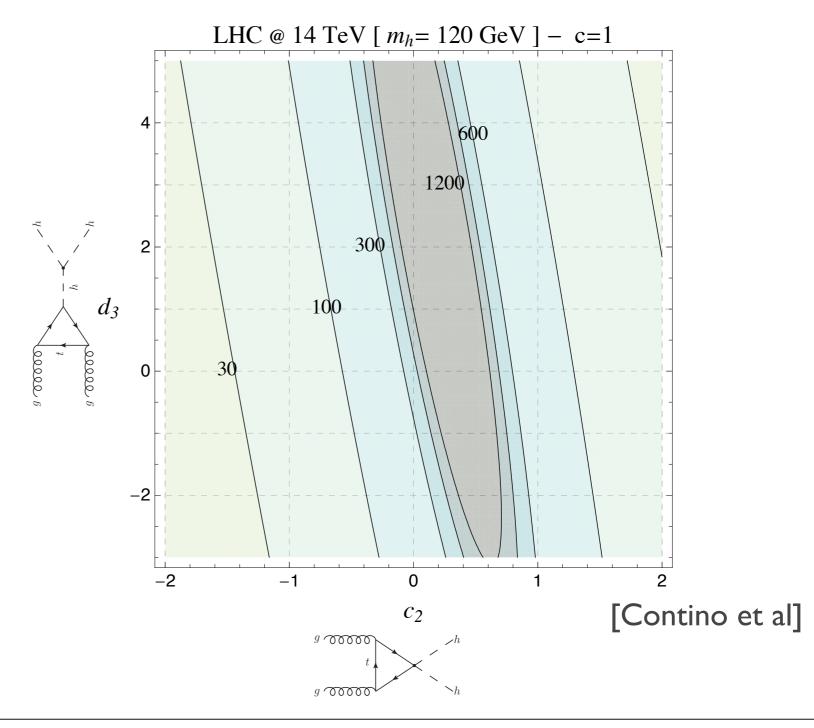
 $\xi = v^2/f^2$

[Gillioz et al, 1206.7120]

Many BSM models predict corrections to Higgs properties

Composite Higgs models have large double-Higgs

production

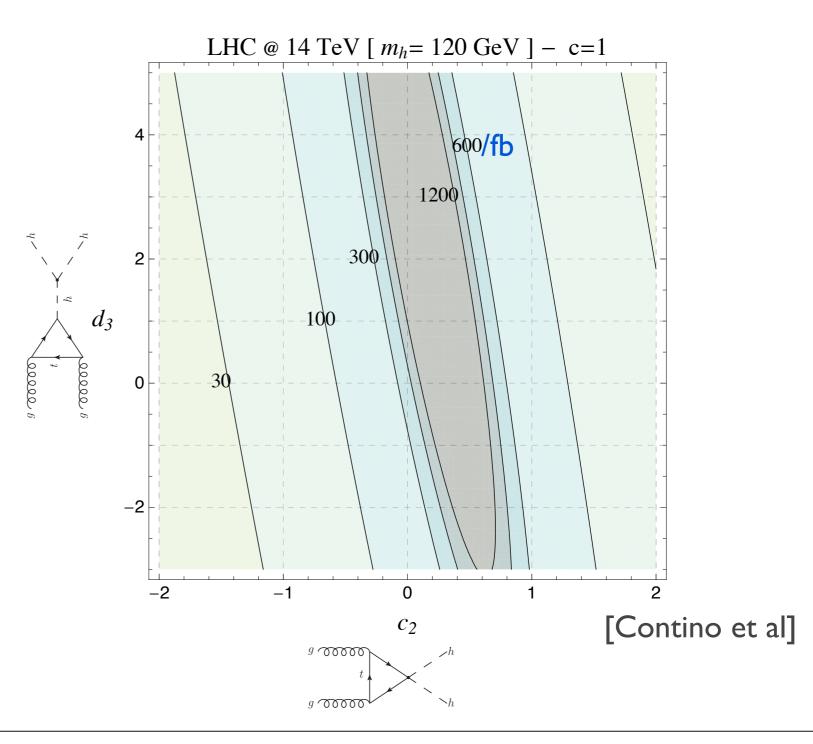


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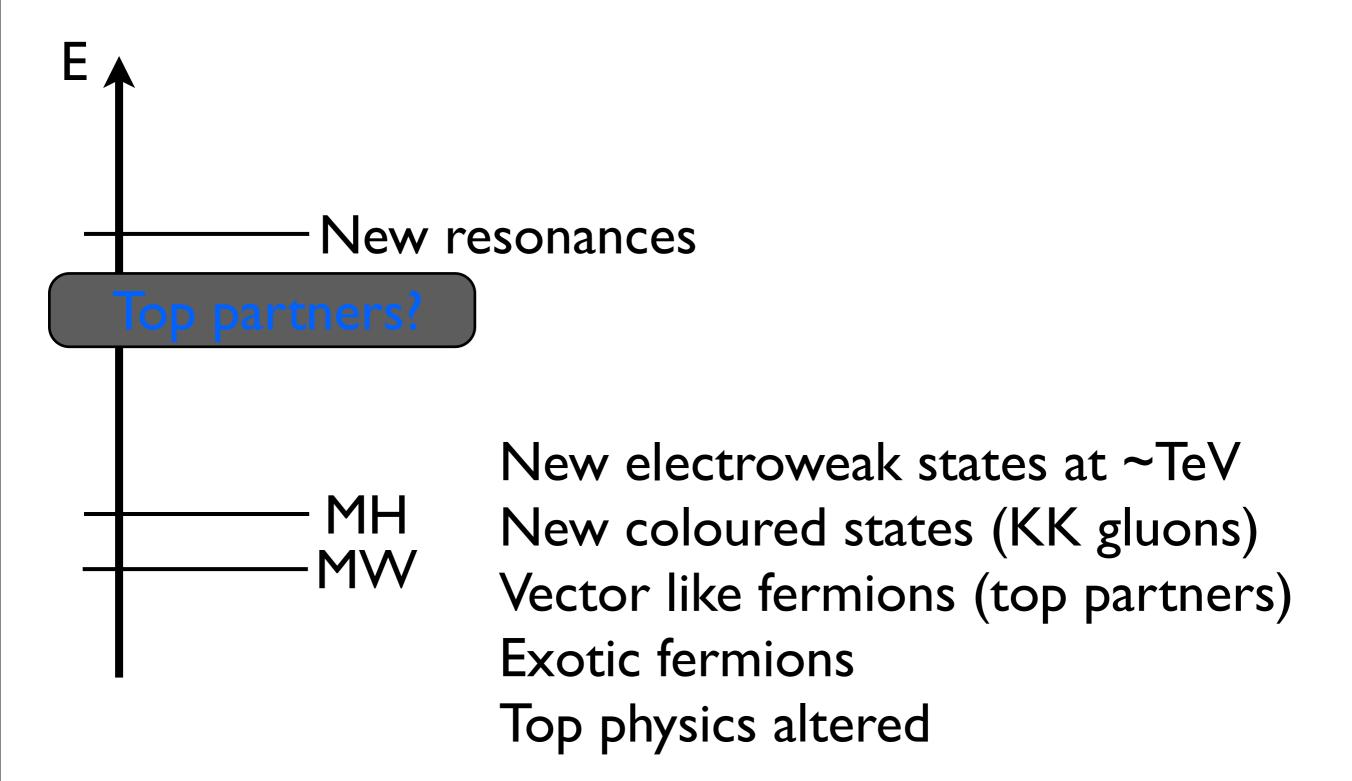
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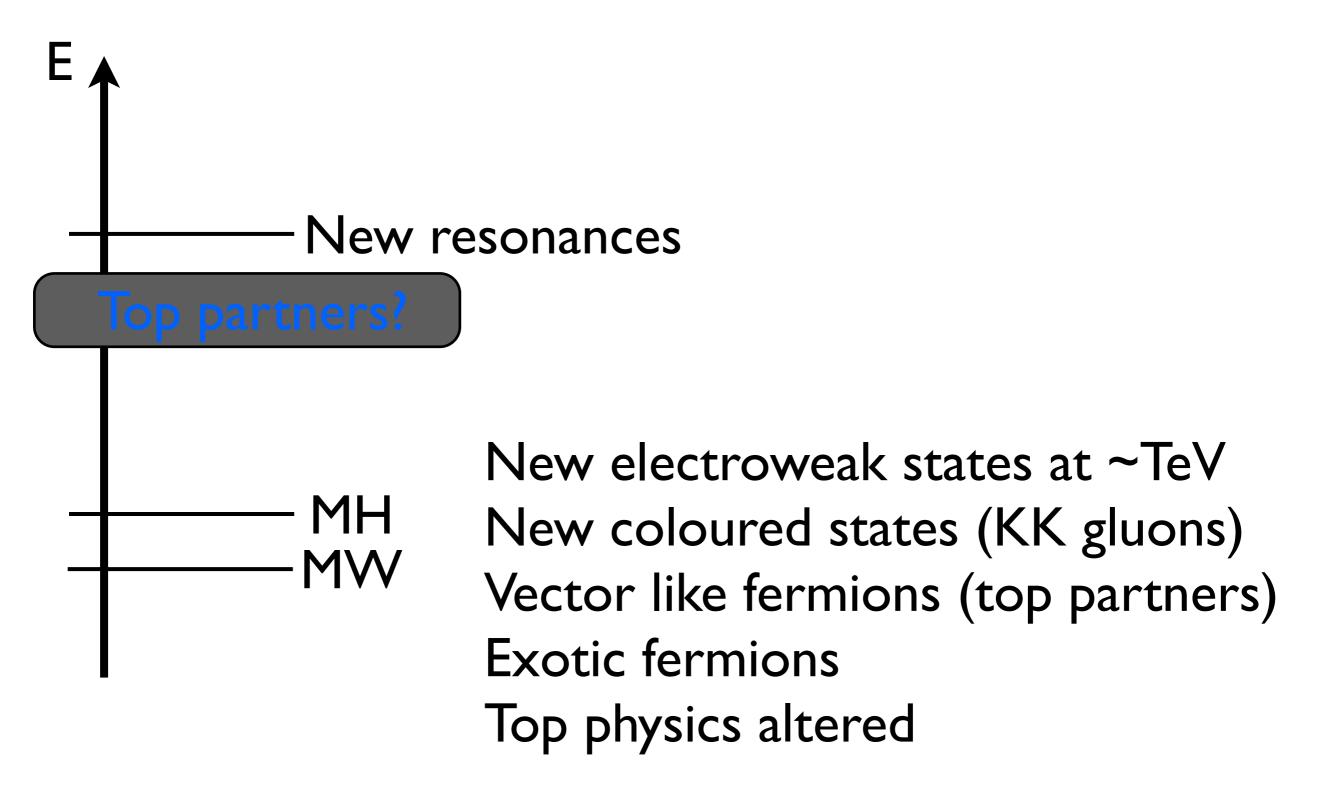
Determination through this method is someway off



Other states



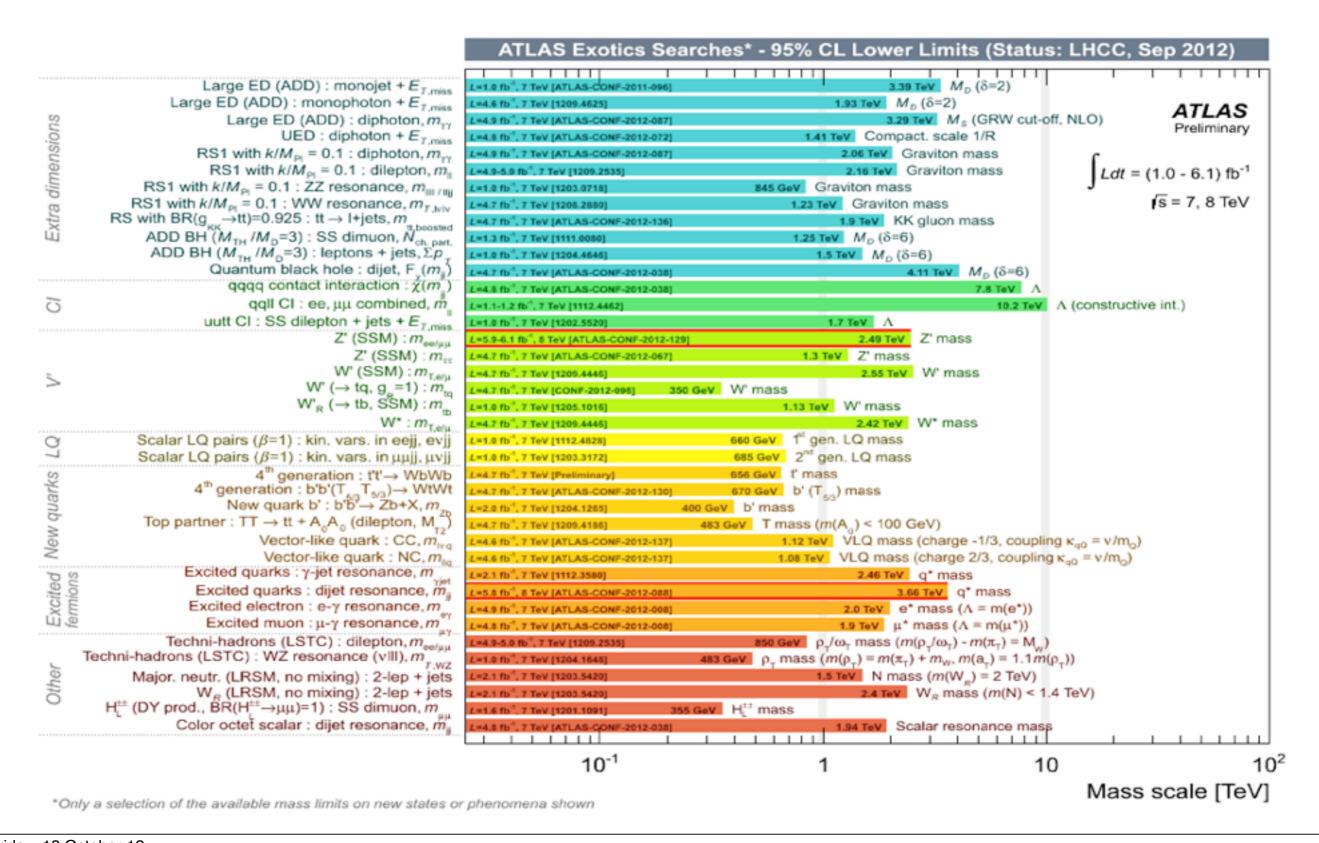
Other states



Properties predicted in particular models, but should search in general, a la simplified susy models

•No large discrepancies (that we have been told about)

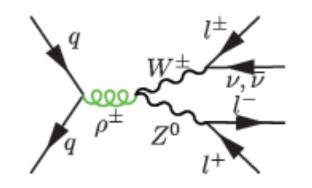
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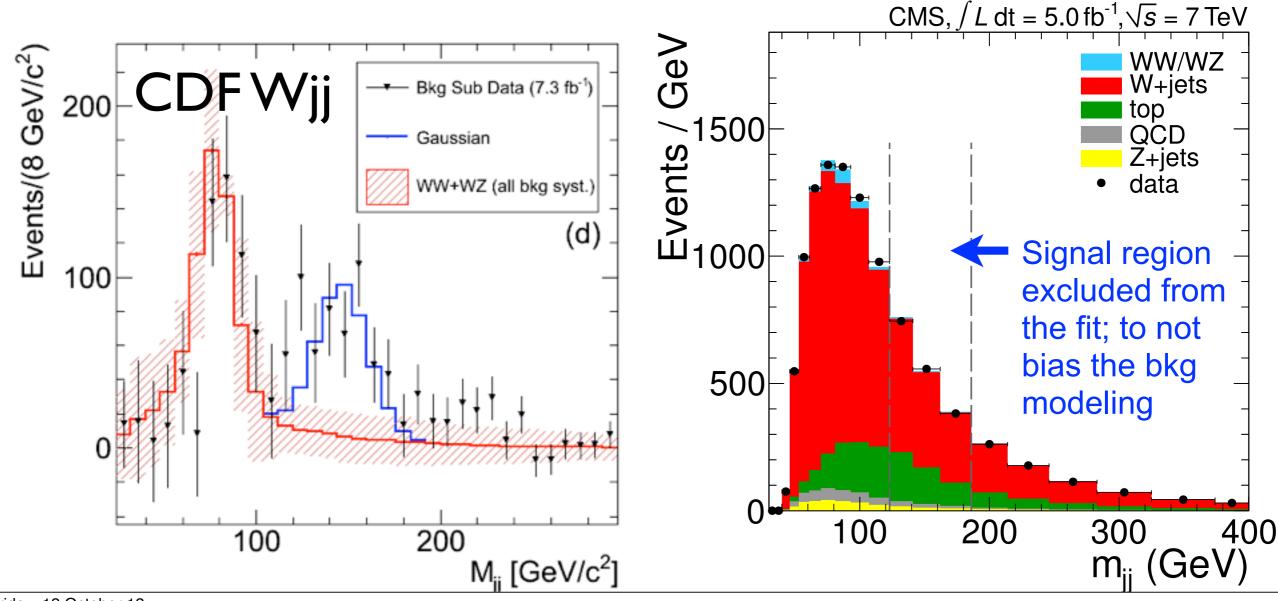


One possible discrepancy?

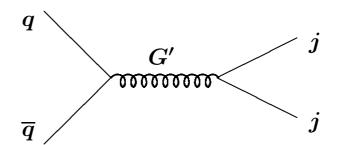
Possible "TC" explanation

[Eichten et al]



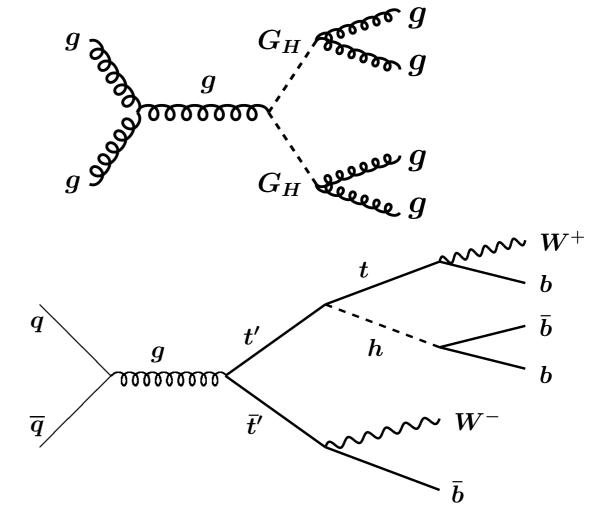


Gluon': di-jet resonances



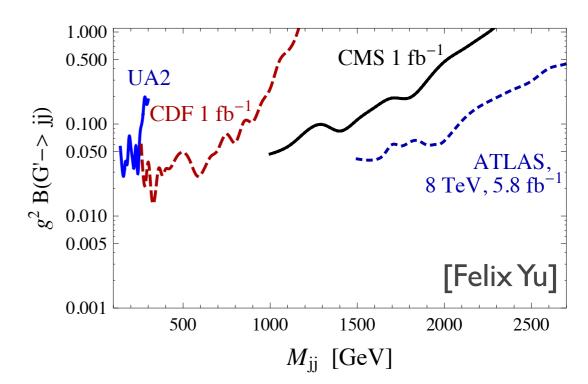
Colorons: 4-jet resonances

Vector-like quarks (T'):



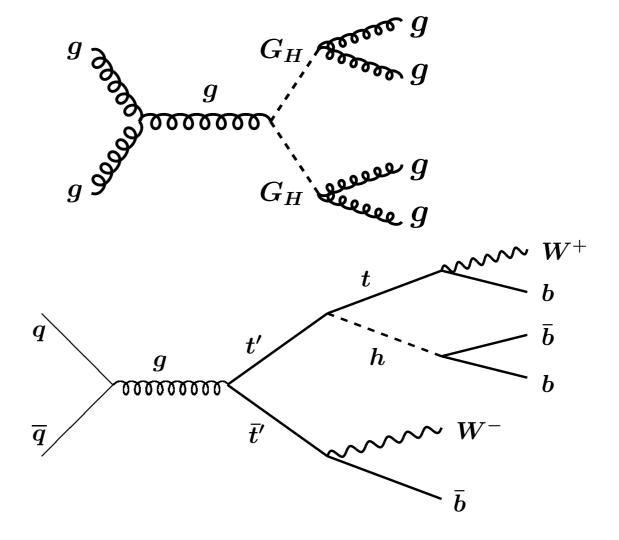
The story moving on

Gluon': di-jet resonances



Colorons: 4-jet resonances

Vector-like quarks (T'):

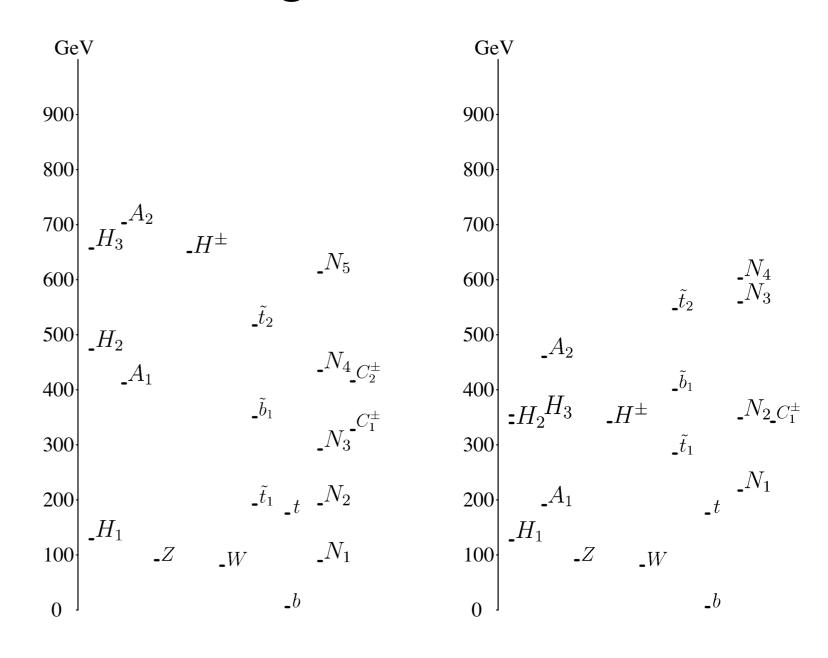


Compositeness and SUSY

More minimal SUSY spectrum

[Cohen, Kaplan, Nelson]

Stops and electroweakinos are light



Conclusions(?)

Compositeness provides a solution to the hierarchy problem
Already know v/f<0.3, Higgs results soon tell us more Many new resonances to go after
Much model building variety
Simple general searches (single production, double production, spin, colour reps, etc etc)